

# Efficient Magnetic Field Free Switching of Symmetric Perpendicular Magnetic Free Layer for Advanced SOT-MRAM

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**Abstract**— A long-standing problem of magnetic field free switching of a symmetric perpendicular free layer by spin-orbit torque is resolved by employing two perpendicular consecutive current pulses. The optimal overlap of the second pulse line is found to be around 50%. Robustness of switching with respect to small fluctuations of the second current pulse duration and of the overlap with the free layer are demonstrated.

**Keywords** - Spin-Orbit MRAM, perpendicular magnetization, magnetic field free switching, two-pulse switching scheme

Spin-transfer torque magnetic RAM (STT-MRAM) is fast, possesses high endurance ( $10^{12}$ ), and has a simple structure. It is compatible with CMOS and can be straightforwardly embedded in circuits. It is particularly promising for use in IoT and automotive applications, a replacement of conventional flash memory as well as for embedded applications [1]. However, the switching current of STT-MRAM is fairly high, and devices based on a new principle are required. The spin-orbit torque (SOT) assisted switching of a free layer (FL) is promising as the current is passing through a heavy normal metal (NM) wire on which the FL is grown [1]. However, a static magnetic field is still required for deterministic switching [2] of the FL. Even though several paths to achieve a field-free switching were reported, they require a local intrusion into the cell fabrication, which makes large scale integration problematic.

In this work we demonstrate that a magnetic field free two-pulse switching scheme [3] previously proposed to

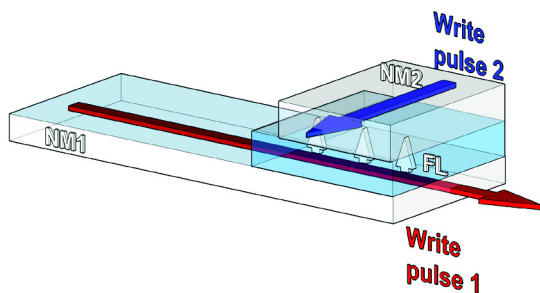


Figure 1. Two-pulse switching scheme applied to the perpendicularly polarized square magnetic free layer (FL).

TABLE I. PARAMETERS USED IN THE SIMULATIONS

Saturation magnetization $M_S$	$4 \times 10^5$ A/m
Exchange constant $A$	$2 \times 10^{-11}$ J/m
Perpendicular anisotropy $K$	$2 \times 10^5$ J/m <sup>3</sup>
Gilbert damping $\alpha$	0.05
Spin Hall angle $\theta_{SH}$	0.3
Free layer dimensions	$25 \times 25 \times 2$ nm <sup>3</sup>
NM1: $w_1 \times l$	$25 \text{ nm} \times 3 \text{ nm}$
NM2: $w_2 \times l$	$5\text{-}25 \text{ nm} \times 3 \text{ nm}$

switch a perpendicular FL of rectangular form is suitable to switch a symmetric square FL. In contrast to the in-plane anisotropy field employed for deterministic switching of a rectangular FL, an in-plane stray magnetic field of a part of the square FL under the NM2 wire (Fig.1) acting on the rest of the FL is used to deterministically switch the symmetric FL. We also demonstrate that the switching scheme is robust with respect to the variations of the duration  $T_2$  of the second pulse and fluctuations of the NM2 wire's partial overlap  $w_2$  with the FL.

The memory cell is shown in Fig.1. It includes a perpendicularly magnetized FL on top of a heavy metal wire (NM1). The parameters of FL are listed in Table 1. To guarantee a minimal thermal stability factor of 40 making the cell suitable for SRAM applications we chose the FL dimensions  $a \times a \times d = 25 \times 25 \times 2$  nm<sup>3</sup>. FL overlaps fully with NM1 of  $l = 3$  nm thickness. The first pulse of a fixed duration  $T_1 = 200$  ps and fixed current  $I_1 = 100$   $\mu$ A is applied through NM1. Another heavy metal wire (NM2) of  $l = 3$  nm overlaps partly with FL,  $w_2 < a$ , serves to apply the second consecutive perpendicular current pulse  $I_2 = (w_2/a)200$   $\mu$ A of the same current density as in "Write pulse 1", with a variable duration  $T_2$ . The magnetization dynamics of the magnetic system is described by the Landau-Lifshitz-Gilbert equation:

$$\frac{\partial \mathbf{m}}{\partial t} = -\gamma \mathbf{m} \times \mathbf{H}_{\text{eff}} + \alpha \mathbf{m} \times \frac{\partial \mathbf{m}}{\partial t} + \gamma \frac{\hbar}{2e} \frac{\theta_{SH} I_1}{M_S d w_1 l} [\mathbf{m} \times (\mathbf{m} \times \mathbf{y})] \theta(t) \theta(T_1 - t) - \gamma \frac{\hbar}{2e} \frac{\theta_{SH} I_2}{M_S d w_2 l} [\mathbf{m} \times (\mathbf{m} \times \mathbf{x})] \theta(t - T_1) \theta(T_2 + T_1 - t) \quad (1)$$

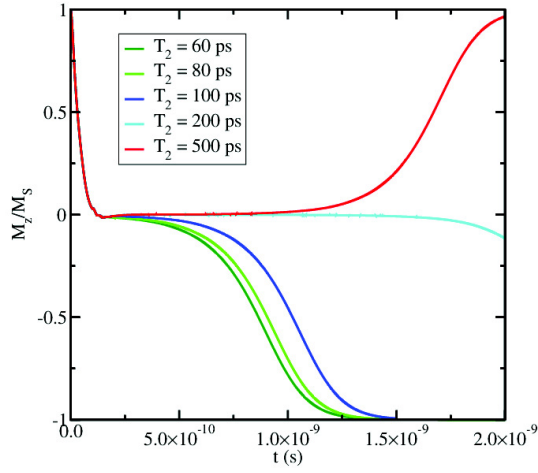


Figure 2. Average of 20 switching realizations. For partial overlap  $w_2 = 17.5\text{nm}$ , reliable switching of square FL at short  $T_2$  “Write current 2” pulses duration appears.

Here  $\mathbf{m}$  is the position-dependent magnetization  $\mathbf{M}$  normalized by the saturation magnetization  $M_S$ ,  $\gamma$  is the gyromagnetic ratio,  $\alpha$  is the Gilbert damping,  $e$  is the elementary charge,  $\hbar$  is the reduced Planck constant,  $\theta_{SH}$  is an effective Hall angle,  $\mathbf{H}_{\text{eff}}$  includes the exchange, uniaxial perpendicular anisotropy (see Table 1), demagnetization, and random thermal field at 300K.

In the case of full overlap of NM2 with FL, no “Write pulse 2” parameters were detected which would support deterministic switching of FL. This is in contrast to the SOT-MRAM cell with a rectangular layer, where the shape anisotropy played the role of the external magnetic field, while the switching direction was determined by the polarity of the “Write pulse 2”, which pushed the magnetization to one or another side from the in-plane direction along the short side of the rectangle. As there is no uniaxial shape anisotropy for a square FL, the switching is unreliable for the full overlap  $w_2 = 25\text{nm}$ .

Surprisingly, when the NM2 overlap with FL is reduced to  $w_2 = 17.5\text{nm}$ , deterministic switching is observed for all 20 realizations, if the duration  $T_2$  of “Write pulse 2” becomes shorter than 200ps (Fig.2). If now the overlap  $w_2$  is further reduced below 15nm, the switching becomes deterministic for all pulse durations  $T_2$  considered. Fig.3 demonstrates the average over 20 realizations for time dependencies of magnetization switching, for  $w_2 = 10\text{nm}$  and several  $T_2$ . For  $60\text{ps} < T_2 < 100\text{ps}$  the curves nearly coincide.

The inset in Fig.3 demonstrates the position dependent magnetization just after the “Write pulse 2” was turned on. The magnetization under NM2 gets rotated due to the SOT of the second pulse. The stray field of the magnetization under NM2 creates an effective in-plane magnetic field for the rest of FL. This field makes the magnetization to precess away from its in-plane orientation. The whole magnetization of FL precesses in the same sense, if “Write pulse 2” is short, which is the reason of the switching scheme’s robustness

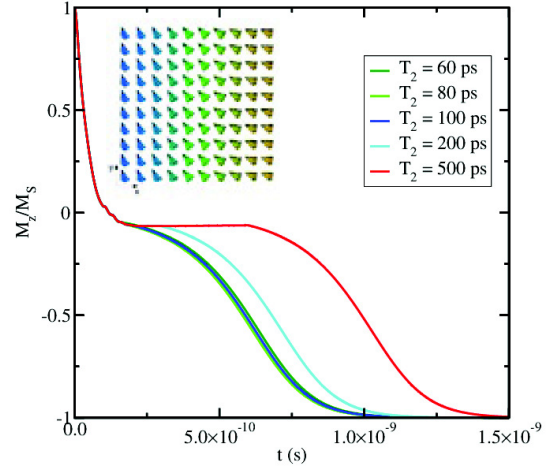


Figure 3. Average of 20 switching realizations for  $w_2 = 10\text{nm}$ . Reliable switching is observed for all  $T_2$ . Inset: snapshot of magnetization just after “Write pulse 2” is on.

with respect to  $T_2$  fluctuations around  $T_2 = 80\text{ps}$ . Fig.4 proves the main result of the work that the switching scheme is robust not only with respect to  $T_2 = 80 \pm 20\text{ps}$  fluctuation, but also to fluctuations of  $w_2 = 11 \pm 4\text{nm}$  as almost the same switching time is observed.

#### ACKNOWLEDGMENT

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#### REFERENCES

- [1] O. Golonzka *et al.*, “MRAM as Embedded Non-Volatile Memory Solution for 22FFL FinFET Technology,” Proc. 2018 IEDM, 36.2.1 (2018).
- [2] S.C.Baek *et al.*, “Spin Currents and Spin-Orbit Torques in Ferromagnetic Trilayers,” Nature Mat. vol.17, 509 (2018).
- [3] V. Sverdlov, A. Makarov, and S. Selberherr, “Reliable Sub-Nanosecond Switching of a Perpendicular SOT-MRAM Cell without External Magnetic Field,” J.Systemics, Cybernetics and Informatics 16, 55 (2018).

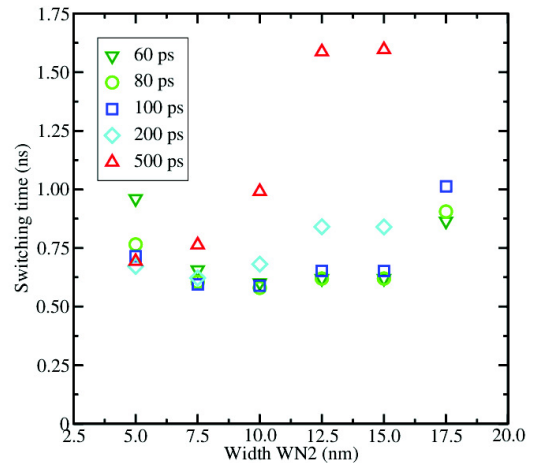


Figure 4. Switching time as function of  $w_2$  for several  $T_2$ .